

### **OBJECT DISCOVERY**

- Goal: Finding locations of foreground objects in images without any form of supervision.
- Motivation:
  - A fundamental problem in Computer Vision.
  - Cho et al. [1] propose a promising method but it is just a heuristic.
- The graph of images:



#### CONTRIBUTION

- A new saliency score for region matches between images.
- Reformulating Unsupervised Object Discovery as an optimization problem.
- Empirically proving that the new method gives better results.

#### REFERENCES

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# **Unsupervised Image Matching and Object Discovery as Optimization**

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# **OBJECT DISCOVERY AS OPTIMIZATION**

Region proposals:



- Objective function:
  - $\triangleright$  Image *i* is represented by a binary vector  $x_i$  of length  $p_i$ .
  - The neighborhood of image i is represented by a binary vector e; of length n.
  - $\triangleright$  There is a matrix  $S_{ii}$  of size  $p_i \times p_i$  containing the saliency of matches between images *i* and *j*.
  - Objective function:

$$S(x,e) = \sum_{i 
eq j} e_{ij} \sum_{\substack{1 \le k \le p_i \ 1 \le l \le p_j}} S^{kl}_{ij} x^k_i x^l_j = \sum_{i 
eq j} e_{ij} \langle x_i, S_{ij} x_j 
angle.$$

 $\triangleright$  Constrains:  $x_i \cdot \mathbf{1}_{p_i} \leq \nu$  and  $e_i \cdot \mathbf{1}_n \leq \tau$ .

Similarity model:

Confidence score [1] measures the appearance similarity and geometric compatibility between regions

$$s_{ij}^{kl} = rac{a_{ij}^{kl}}{p_i p_j} \sum_{\substack{1 \le k' \le p_i \ 1 \le l' \le p_j}} K_{ij}^{kl,k'l'} a_{ij}^{k'l'}.$$

Based on the confidence score, standout score measures saliency of matches between pairs of regions

$$S_{ij}^{kl} = s_{ij}^{kl} - \max_{B_i^k \times B_j^l} S_{ij}^{kl}.$$

Original image Confidence score Standout score 

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# SOLVING THE OPTIMIZATION PROBLEM

Objective as a concave function:

$$S(x,e) = \sum_{i \neq j} \sum_{\substack{1 \leq k \leq p_i \ 1 \leq l \leq p_j}} S_{ij}^{kl} \min(e_{ij}, x_l^k, x_j^l).$$

Lagrangian:

$$K(x,e;\lambda,\mu) = S(x,e) - \sum_{i}^{n} [\lambda_{i}(x_{i} \cdot \mathbf{1}_{p_{i}} - \nu) + \mu_{i}(e_{i} \cdot \mathbf{1}_{n} - \tau)].$$

► Dual problem:  $\inf_{\lambda,\mu} \sup_{(x,e)\in[0,1]^*} K(x,e;\lambda,\mu)$ . Solving the dual problem:

$$\begin{cases} \lambda_i^{(t+1)} = [\lambda_i^{(t)} + \alpha (x_i^{(t)} \cdot \mathbf{1}_{p_i} - \nu)]_+, \\ \mu_i^{(t+1)} = [\mu_i^{(t)} + \beta (e_i^{(t)} \cdot \mathbf{1}_n - \tau)]_+, \end{cases}$$

where

$$(x^{(t)}, e^{(t)}) = \operatorname{argmax}_{(x,e)\in\{0,1\}^*} K(x, e; \lambda^{(t)}, \mu^{(t)}).$$

Approximate primal solution:

$$(x, e) = \frac{1}{N} \sum_{t=0}^{N-1} (x^{(t)}, e^{(t)}).$$

- Rounding and greedy coordinate ascent algorithm:  $\triangleright$  In a random order of  $x_i$ , update  $x_i$  to maximize S(x, e)
  - keeping other variables fixed.
  - $\triangleright$  Update  $e_i$  in parallel to maximize S(x, e) keeping x fixed.
- Post processing ensembling method.







### RESULTS

- Datasets: Object Discovery, VOC\_6x2, VOC\_all.
- Metric: correct localization (CorLoc).
- Results in the separate setting:

Method	C	OD		VOC_6x2		VOC_all	
Cho <i>et al.</i> [1]	84	4.2	6	67.7	36.6		
Cho et al. (Our execution	1) 84	84.2		67.6	37.6		
Li <i>et al.</i> [2]		-				40.0	
Wei <i>et al.</i> [3]	88	88.1				<b>46.9</b>	
Ours	$85.8 \pm 0.669.4 \pm 0.339.2 =$					± 0.2	
Results in the mixed	settin	g:					
Method	OE	OD V(		C_6x2	VOC_all		
Cho <i>et al.</i> [1]	_			- 37		7.6	
Cho et al. (Our execution)	82.	82.2		55.9		37.5	
Ours	<b>83.0</b> ±	$6.0 \pm 0.4 60.2$		$\pm$ 0.4 39.8 $\pm$ 0		± 0.2	
Results with proposals from selective search:							
Proposals selective	e search	arch [4]		randomized		rim's [5]	
Cho <i>et al.</i> [1] 23.3	20.6	32.6		67.6			
Ours <b>41.4</b> ± <b>0.5 48.4</b>	$1\pm0.5$	62.8	$\pm$ 0.6	69	.4 ± (	).4	
Results with CNN fea	atures	•					
Features OD	V	/OC_6x2		VOC_all			
WHO [6] <b>85.8</b> ± 0	WHO [6] <b>85.8</b> ± <b>0.6</b> 69.4 ± 0.3 39.2 ± 0.2						
CNN [7] 78.8 ± 0	).4 <b>70</b> .	<b>9</b> ±	0.24	<b>2.5</b> ±	0.1		
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## FUTURE WORK

- Symmetric version.
- Multiple objects.

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